

Universitas Negeri Surabaya Faculty of Mathematics and Natural Sciences Undergraduate Mathematics Study Program

Document Code

SEMESTER LEARNING PLAN

Courses		CODE			0	Course Family			0	Credit Weight				SEMESTER Compilation					
																-	Dat	e	
Partial Differential Equations			4420103110			Å	Analysis			٦	-=3	P=0	ECTS=4	.77	4	1	Apr 202	il 26, 3	
AUTHORIZAT	TION		SP Develop	er						Co	urse	Clust	ter C	oordinat	or	Study	Progra	um Co	ordinator
			Dr. Abadi					Pro	Prof. Dr. Manuharawati					Prof. Dr. Raden Sulaiman, M.Si.					
Learning model	Case Studies																		
Program	PLO study program that is charged to the course																		
Learning Outcomes	Program Objectives (PO)																		
(PLO)	PO - 1 Demonstrate knowledge and insight regarding partial differential equations																		
	PO - 2 Mastering methods for solving partial differential equations and identifying their use in solving problems in partial differential equations																		
	PO - 3	Apply partia	/ prerequisite al differential e	mate equati	- terials in differential calculus, integral calculus and ordinary differential equations to solve tion problems														
	PO - 4	Solvi	ng partial diffe	erentia	al equ	ation	prob	lems \	with th	ne he	lp of t	echn	ology	/					
	PO - 5	Work	independent	ly or i	n grou	ups													
	PLO-PO Matrix																		
	PO Matrix at th	e end	PO-1 PO-2 PO-3 PO-4 PO-5 of each lea	- - - - - - - - - - - - - - - - - - -	g stag	ge (S	Sub-P	20)											
			P.0					1			r —	We	ek						
				1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16
		P	0-1																
		P	0-2																
		P	0-3																
		P	0-4																
		P	0-5																
Short Course Description	This course exame equation, and he Learning is carrie	mines at equ ed out l	the fundame ation. Able to by combining	ntal c deter lectur	conce mine re me	pts o the s thods	f PDF olutio s, que	P theo n of P stions	DP a and	cludir nalyti answ	ng: fir cally, ers a	st or and nd giv	der li apply /ing a	near PDF PDP in e assignme	P, sec everyo nts as	cond or day life ssisted	der lin , as we by tecł	ear Pl ell as ir nnolog	DP, wave nterpret it. y.
References	Main :																		
	 Haberma Strauss, Soehard Dennem Weinberg 	an, R. 2 W. A. jo. 200 eyer, F ger, H.	2015. Applied 2008. Partial 4. Persamaar R. 1968. Introc 1965. A First	Parti Differ 1 Dife Juctio	al Diff ential rensia n to F rse in	feren Equa al Par Partia Parti	tial Ec ations rsial . I Diffe al Diff	quatio , an Ir Uranı rentia ferenti	ns wit ntrodu us. I Equ al Eq	th Fou uction ations uation	urier (2nd s and ns . D	Serie Editi Bour over	s and on). \ ndary Publ	l Boundar Wiley ⁷ Value Pr ication	y Val	ue Prol ns. Mc	olems Graw-H	Pears	son

		Supporters:						
Support lecturer	ing	Dr. Abadi, M.Sc. Rudianto Artiono,	S.Pd., M.Si.					
Week-	Final abilities of each learning stage (Sub-PO)		Ev	valuation	Help Learning, Learning methods, Student Assignments, [Estimated time]		Learning materials [References	Assessment Weight (%)
			Indicator	Criteria & Form	Offline (offline)	Online (<i>online</i>)	. 1	
(1)		(2)	(3)	(4)	(5)	(6)	(7)	(8)
1	Ur Dil Eq an cla	Iderstand the eaning of Partial ferential uations (PDP) d their Issification	 Get to know the application of PDP in various fields State the meaning of PDP Determines the type of PDP 	Criteria: attached Form of Assessment : Participatory Activities, Tests	Lecture Discussion Questions and answers 3 X 50		Material: Understanding PDP and its application, PDP classification. References: Dennemeyer, R. 1968. Introduction to Partial Differential Equations and Boundary Value Problems. McGraw-Hill.	2%
2	Skk firs PE	illed in solving t order linear P	 Determine the first order linear PDP solution with constant coefficients Form a PDP if one of the solutions is known 	Criteria: attached Form of Assessment : Participatory Activities	Discussion and questions and answers 3 x 50	Asynchronous discussion on Vinesa 1 x 50	Material: Forming a PDP, Understanding PDP solutions and determining PDP solutions of order 1 constant coefficients. References: Dennemeyer, <i>R.</i> 1968. Introduction to Partial Differential Equations and Boundary Value Problems. McGraw-Hill.	2%
3	Sk firs	illed in solving st order quasi ear PDP	Determining the solution to the inhomogeneous quasi linear first order PDP using the Lagrange method and the Cauchy problem	Criteria: attached Form of Assessment : Participatory Activities	Discussion and questions and answers. 3 X 50	Asynchronous discussion on Vinesa 1 x 50	Material: Solving quasi- linear PDP using the Lagrange Method and Cauchy Problem. References: Dennemeyer, R. 1968. Introduction to Partial Differential Equations and Boundary Value Problems. McGraw-Hill.	2%
4	Sk se PC	illed in solving cond order linear)P	 Determine the second order linear PDP solution with constant coefficients. Determine particular solutions using symbolic equations 	Criteria: 1.attached 2.2 Form of Assessment : Participatory Activities	Discussion and questions and answers 3 X 50	Asynchronous discussion on Vinesa 1 x 50	Material: Solving second order PPD constant coefficients and symbolic methods References: Dennemeyer, <i>R.</i> 1968. Introduction to Partial Differential Equations and Boundary Value Problems. McGraw-Hill.	2%

5	Skilled in solving second order linear PDP	Determine the second order PDP normal form and its classification.	Criteria: attached Form of Assessment : Participatory Activities, Practice/Performance	Discussion and questions and answers 3 X 50	Asynchronous discussion on Vinesa 1 x 50	Material: Determine the second order PDP normal form and its classification. Reader: Soehardjo. 2004. Partial Differential Equations. Uranus.	2%
6	Understand the classification of almost-linear PDP with two variables. Skilled in solving almost-linear PDP with two variables	Determine the hyperbolic PDP solution	Criteria: attached Form of Assessment : Participatory Activities	expository, discussion and question and answer. 3 X 50	asynchronous discussion on Vinesa 1 x 50	Material: Hyperbolic PDp Reference: Dennemeyer, R. 1968. Introduction to Partial Differential Equations and Boundary Value Problems. McGraw-Hill.	2%
7	Understand the classification of almost-linear PDP with two variables. Skilled in solving almost-linear PDP with two variables	Determine the solution to the parabolic PDP	Criteria: attached Form of Assessment : Participatory Activities	Discussion and questions and answers 3 X 50	asynchronous discussion on Vinesa 1 x 50	Material: Solving Parabolic PD References: Dennemeyer, R. 1968. Introduction to Partial Differential Equations and Boundary Value Problems. McGraw-Hill.	2%
8	1.Complete the first order PDP 2.Complete the second order PDP	All indicators before UTS	Criteria: attached Form of Assessment : Test	Written exam 100		Material: UTS Library:	20%
9	 Understand the wave equation along with its solution characteristics and applications Understand the heat equation along with its solution characteristics and applications Understand Laplace's equation along with its solution characteristics and applications 	 Solving the wave equation with Dirichlet, Neumann and Robin boundary conditions Fourier Series Solving the heat equation with Dirichlet, Neumann and Robin boundary conditions Solving Laplace's equation with Dirichlet, Neumann and Robin boundary conditions 	Criteria: Attached Forms of Assessment : Participatory Activities, Project Results Assessment / Product Assessment	Discussion and questions and answers and assignments (case giving) 3 X 50	Asynchronous discussion at Vinesa about Pre-existing materials 1 x 50	Material: Fourier Series, Problems of Boundary Conditions and Initial Values in the Wave Equation, heat equation and Laplace's equation References: Strauss, WA 2008. Partial Equations, an Introduction (2nd Edition). Wiley	5%

10	 Understand the wave equation along with its solution characteristics and applications Understand the heat equation along with its solution characteristics and applications Understand Laplace's equation along with its solution characteristics and applications 	 Solving the wave equation with Dirichlet, Neumann and Robin boundary conditions Fourier Series Solving the heat equation with Dirichlet, Neumann and Robin boundary conditions Solving Laplace's equation with Dirichlet, Neumann and Robin boundary conditions 	Criteria: Attached Forms of Assessment : Participatory Activities, Project Results Assessment / Product Assessment	Discussion and questions and answers and assignments (case giving) 3 X 50	Asynchronous discussion at Vinesa about pre-existing materials 1 x 50	Material: Fourier Series, Problems of Boundary Conditions and Initial Values in the Wave Equation, heat equation and Laplace's equation References: <i>Strauss, WA</i> 2008. Partial Differential Equations, an Introduction (2nd Edition). Wiley	5%
	 Understand the wave equation along with its solution characteristics and applications Understand the heat equation along with its solution characteristics and applications Understand Laplace's equation along with its solution characteristics and applications 	 Solving the wave equation with Dirichlet, Neumann and Robin boundary conditions Fourier Series Solving the heat equation with Dirichlet, Neumann and Robin boundary conditions Solving Laplace's equation with Dirichlet, Neumann and Robin boirdary conditions 	Criteria: Attached Forms of Assessment : Participatory Activities, Project Results Assessment / Product Assessment	Discussion and questions and answers and assignments (case giving) 3 X 50	Asynchronous discussions at Vinesa (case analysis in groups) 1 x 50	Material: Fourier Series, Problems of Boundary Conditions and Initial Values in the Wave Equation, heat equation and Laplace's equation References: <i>Strauss, WA</i> 2008. Partial Differential Equations, an Introduction (2nd Edition). Wiley	5%

12	 Understand the wave equation along with its solution characteristics and applications Understand the heat equation along with its solution characteristics and applications Understand Laplace's equation along with its solution characteristics and applications 	 Solving the wave equation with Dirichlet, Neumann and Robin boundary conditions Fourier Series Solving the heat equation with Dirichlet, Neumann and Robin boundary conditions Solving Laplace's equation with Dirichlet, Neumann and Robin boundary conditions 	Criteria: Attached Forms of Assessment : Participatory Activities, Project Results Assessment / Product Assessment	Discussion and questions and answers and assignments (case giving) 3 X 50	Asynchronous discussion at Vinesa (group case analysis) 1 x 50	Material: Fourier Series, Problems of Boundary Conditions and Initial Values in the Wave Equation, heat equation and Laplace's equation References: Strauss, WA 2008. Partial Differential Equations, an Introduction (2nd Edition). Wiley	5%
13	 Understand the wave equation along with its solution characteristics and applications Understand the heat equation along with its solution characteristics and applications Understand Laplace's equation along with its solution characteristics and applications 	 Solving the wave equation with Dirichlet, Neumann and Robin boundary conditions Fourier Series Solving the heat equation with Dirichlet, Neumann and Robin boundary conditions Solving Laplace's equation with Dirichlet, Neumann and Robin boundary conditions 	Criteria: Attached Forms of Assessment : Participatory Activities, Project Results Assessment / Product Assessment	Discussion and questions and answers and assignments (case giving) 3 X 50	Asynchronous discussions at Vinesa (case analysis in groups) 1 x 50	Material: Fourier Series, Problems of Boundary Conditions and Initial Values in the Wave Equation, heat equation and Laplace's equation References: Strauss, WA 2008. Partial Differential Equations, an Introduction (2nd Edition). Wiley	5%

14	 Understand the wave equation along with its solution characteristics and applications Understand the heat equation along with its solution characteristics and applications Understand Laplace's equation along with its solution characteristics and applications 	 Solving the wave equation with Dirichlet, Neumann and Robin boundary conditions Fourier Series Solving the heat equation with Dirichlet, Neumann and Robin boundary conditions Solving Laplace's equation with Dirichlet, Neumann and Robin boundary conditions 	Criteria: Attached Forms of Assessment Participatory Activities, Project Results Assessment / Product Assessment	Presentation 3 X 50	Material: Fourier Series, Problems of Boundary Conditions and Initial Values in the Wave Equation, heat equation and Laplace's equation References: Strauss, WA 2008. Partial Differential Equations, an Introduction (2nd Edition). Wiley	8%
15	 Understand the wave equation along with its solution characteristics and applications Understand the heat equation along with its solution characteristics and applications Understand Laplace's equation along with its solution characteristics and applications 	 Solving the wave equation with Dirichlet, Neumann and Robin boundary conditions Fourier Series Solving the heat equation with Dirichlet, Neumann and Robin boundary conditions Solving Laplace's equation with Dirichlet, Neumann and Robin birchlet, Neumann and Robin boundary conditions Solving Laplace's equation with Dirichlet, Neumann and Robin boundary conditions 	Criteria: Attached Forms of Assessment : Participatory Activities, Project Results Assessment / Product Assessment	presentation 3 X 50	Material: Fourier Series, Problems of Boundary Conditions and Initial Values in the Wave Equation, heat equation and Laplace's equation References: <i>Strauss, WA</i> 2008. Partial Differential Equations, an Introduction (2nd Edition). Wiley	3%
16	UAS	All indicators before UAS	Criteria: Attached Form of Assessment : Test	Written Test 100	Material: UAS Literature:	30%

Evaluation Percentage Recap: Case Study

No	Evaluation	Percentage
1.	Participatory Activities	30%
2.	Project Results Assessment / Product Assessment	18%
3.	Practice / Performance	1%
4.	Test	51%
		100%

Notes

- Learning Outcomes of Study Program Graduates (PLO Study Program) are the abilities possessed by each Study Program graduate which are the internalization of attitudes, mastery of knowledge and skills according to the level of their study program obtained through the learning process.
 The PLO imposed on courses are several learning outcomes of study program graduates (CPL-Study Program) which are
- used for the formation/development of a course consisting of aspects of attitude, general skills, special skills and knowledge.

- 3. **Program Objectives (PO)** are abilities that are specifically described from the PLO assigned to a course, and are specific to the study material or learning materials for that course.
- 4. **Subject Sub-PO (Sub-PO)** is a capability that is specifically described from the PO that can be measured or observed and is the final ability that is planned at each learning stage, and is specific to the learning material of the course.
- 5. Indicators for assessing ability in the process and student learning outcomes are specific and measurable statements that identify the ability or performance of student learning outcomes accompanied by evidence.
- Assessment Criteria are benchmarks used as a measure or measure of learning achievement in assessments based on predetermined indicators. Assessment criteria are guidelines for assessors so that assessments are consistent and unbiased. Criteria can be quantitative or qualitative.
- 7. Forms of assessment: test and non-test.
- 8. Forms of learning: Lecture, Response, Tutorial, Seminar or equivalent, Practicum, Studio Practice, Workshop Practice, Field Practice, Research, Community Service and/or other equivalent forms of learning.
- 9. Learning Methods: Small Group Discussion, Role-Play & Simulation, Discovery Learning, Self-Directed Learning,
- Cooperative Learning, Collaborative Learning, Contextual Learning, Project Based Learning, and other equivalent methods. 10. Learning materials are details or descriptions of study materials which can be presented in the form of several main points and sub-topics.
- 11. The assessment weight is the percentage of assessment of each sub-PO achievement whose size is proportional to the level of difficulty of achieving that sub-PO, and the total is 100%.
- 12. TM=Face to face, PT=Structured assignments, BM=Independent study.